

**MSMS**  
**WINTER HOLIDAYS HOMEWORK**  
**GRADE 8**  
**SESSION -2025-26**



**Worksheet Based on Assertion and Reason Based Questions**

- (1) Both A and R are true, and R is the correct explanation of A.
- (2) Both A and R are true, but R is not the correct explanation of A.
- (3) A is true, but R is false.
- (4) A is false, but R is true.

1. Assertion (A): When both factors in a product  $ab$  are increased by 1, the new product  $(a + 1)(b + 1)$  is always greater than the original product  $ab$  for any integers  $a$  and  $b$ .

Reason (R): The increase in the product is  $a + b + 1$ , which is always positive.

2. Assertion (A): The expression  $(a + m)(b + n) = ab + an + bm + mn$  is an identity.

Reason (R): It is obtained by applying the distributive property twice and holds true for all values of  $a, b, m, n$ .

3. Assertion (A):  $(a + b)^2 = a^2 + 2ab + b^2$  is an identity that can be used even when  $a$  and  $b$  are fractions or negative numbers.

Reason (R): The identity is derived from the distributive property, which holds only for positive integers.

4. Assertion (A): In a  $2 \times 2$  calendar block, the difference between diagonal products is 9.

Reason (R): If top left entry is  $n$ , diagonal are  $n(n+8)$  and  $(n+1)(n+7)$ , whose diagonal difference is 7.

5. Assertion(A) :The difference between  $(n+1)^2$  and  $(n-1)^2$  is  $2n$ .

Reason (R) :  $(n+1)^2 - (n-1)^2 = 2n + 2$

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**Worksheet Based on Case Based Questions**

**Case 1:** A shopkeeper uses mental math tricks based on distributivity for fast billing. For prices like ₹11, he treats it as  $(10 + 1)$  and adds the number to its shifted version. For ₹101, he shifts by two places and adds. For ₹99, he uses  $(100 - 1)$  and subtracts the shifted number. This speeds up calculations during rush hours.

Based on the above information, answer the following questions:

- (i) Compute  $73 \times 11$  using the trick. Show digit-wise steps with carries.
- (ii) Compute  $456 \times 101$  using the trick. Show the placement.
- (iii) Compute  $528 \times 99$  using the  $(100 - 1)$  method. Find the product.
- (iv) Compute  $67 \times 11$  and explain briefly why the trick works using distributivity.

**Case 2:** Rohan is learning mental mathematics and algebraic reasoning. His teacher gives him a task to understand how small changes in numbers affect their product without performing actual multiplication. He represents this situation using a rectangular model, where the length is 34 units and the breadth is 43 units.

Based on the above information answer the following questions:

- (i) If the length of the rectangle is reduced by 1 unit while the breadth remains the same, find the new area of the rectangle.
- (b) If the breadth of the rectangle is increased by 1 unit while the length remains unchanged, determine the new area.

**Rectangular Representation of the Product**

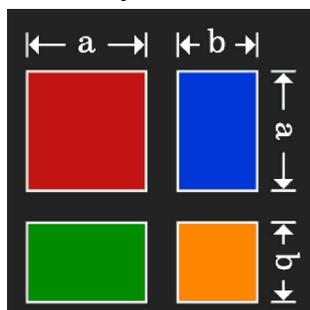


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**Practice Worksheet - 3**



**A. Choose the correct options:**

- When both factors in the product  $ab$  are increased by 1, the increase in the product is:
  - $a + b$
  - $a + b + 1$
  - $2ab$
  - $ab + 1$
- When one factor is increased by 2 and the other decreased by 4, the change in product can be found using:
  - $m = 2, n = 4$  in Identity 1
  - $m = 2, n = -4$  in Identity 1
  - $m = -2, n = 4$  in Identity 1
  - Direct subtraction only
- The identity for the square of a sum is:
  - $(a + b)^2 = a^2 + b^2 - 2ab$
  - $(a + b)^2 = a^2 + 2ab + b^2$
  - $(a + b)^2 = a^2 - 2ab + b^2$
  - $(a + b)^2 = a^2 + b^2$
- In the geometric diagram above for  $(a + b)^2$ , the two rectangles represent:
  - $a^2$  and  $b^2$
  - $ab$  each (total  $2ab$ )
  - $a + b$
  - The difference
- The diagram above shows the geometric proof for:



- $(a + b)^2$
  - $(a - b)^2$
  - $a^2 - b^2$
  - Distributivity
- The difference of squares identity is:
    - $(a + b)(a - b) = a^2 + b^2$
    - $(a + b)(a - b) = a^2 - b^2$
    - $(a + b)(a + b) = a^2 - b^2$
    - $(a - b)(a - b) = a^2 + b^2$

**Multiply by 11 Mentally**  
 using Vedic Maths technique

**Step-1**  
 The first and last digit become the first and last digit of our answer.

**Step-2**  
 Write the sum of pairs (of digits) in between.

**Step-3**  
 Club numbers to get your answer.

- The diagram above illustrates the trick for multiplying by:
  - 10
  - 11
  - 101
  - 99

**B. Solve the following:**

1. Check each of the simplifications and see if there is a mistake. If there is a mistake, then write the correct expression.

(a)  $5w^2 + 6w = 11w^2$

(b)  $2a^3 + 3a^3 + 6a^2b + 6ab^2 = 5a^3 + 12a^2b^2$

(c)  $(5m + 6n)^2 = 25m^2 + 36n^2$

(d)  $(-q + 2)^2 = q^2 - 4q + 4$

(e)  $3a(2b \times 3c) = 6ab \times 9ac = 54a^2bc$

2. Expand (a)  $\frac{3}{2}a^2(a - b + 15)$

(b)  $(a + b)(a + b)$

(c)  $(a + b)(a^2 + 2ab + b^2)$

3. Create a fast multiplication rule for 999 and apply to  $23478 \times 999$ .

4. Prove that  $2(a^2 + b^2 + c^2) = (a+b)^2 + (a-c)^2 + (b+c)^2 - 2ab + 2ac$  (adjust and verify).

**E. Unscramble the word with the help of clues:**

1. TIVIYTSRBDIUTI

Clue: Property used to expand  $a(b + c)$

2. TIDYNIET

Clue: Equality true for all values, e.g.  $(a+b)^2 = a^2 + 2ab + b^2$

3. FECIECOTNIF

Clue: Number multiplying a variable: crucial when collecting like terms

4. TARASIFONCAOTI

Clue: Reverse of expansion: rewrite as a product of simpler factors

5. LONMIPOLYA

Clue: Expression like  $3x^2 - 5x + 7$

6. NEXOPASIN

Clue: Result of distributing; e.g.,  $(x + 3)(x + 4) = x^2 + 7x + 12$